

Hill View Primary School Calculation Policy

HVP Calculation Policy

Aims

The national curriculum for mathematics aims to ensure that all pupils:

- become **fluent** in the fundamentals of mathematics, through varied and frequent practice with increasingly complex problems over time, So that pupils develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately.
- **reason mathematically** by following a line of enquiry, conjecturing relationships and generalisations, and developing an argument, justification or proof using mathematical language
- **can Solve problems** by applying their mathematics to a variety of routine and non-routine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions.

The purpose of the Hill View Calculation Policy is to share with our community how we aim for our children to achieve fluency in the four operations.



HVP Number Facts: 'Learn Its'

Learn Its

By the end of Year 2, your child is expected to recall all 1 digit add 1 digit fact. Our aim is for children to be able to recall these facts as quickly as they can tell you their name. They should also be able to recall their 2, 5 and 10 times tables. If your child knows all of their addition Learn Its they can earn an Amazing Adder Badge.

+	1	2	3	4	5	6	7	8	9
1	2	3	4	5	6	7	8	9	10
2	3	4	5	6	7	8	9	10	11
3	4	5	6	7	8	9	10	11	12
4	5	6	7	8	9	10	11	12	13
5	6	7	8	9	10	11	12	13	14
6	7	8	9	10	11	12	13	14	15
7	8	9	10	11	12	13	14	15	16
8	9	10	11	12	13	14	15	16	17
9	10	11	12	13	14	15	16	17	18



HVP Number Facts: 'Learn Its'

Multiplication Learn Its

By the end of Year 4 your child is expected to know their times tables. These multiplication Learn Its should be hardwired just like the addition facts. Once your child knows their times tables inside out with instant recall, they can earn a Smile Badge.

x	2	3	4	5	6	7	8	9	10	11	12
2	4	6	8	10	12	14	16	18	20	22	24
3	6	9	12	15	18	21	24	27	30	33	36
4	8	12	16	20	24	28	32	36	40	44	48
5	10	15	20	25	30	35	40	54	50	55	60
6	12	18	24	30	36	42	58	54	60	66	72
7	14	21	28	35	42	49	56	63	70	77	84
8	16	24	32	40	48	56	64	72	80	88	96
9	18	27	36	45	54	63	72	81	90	99	108
10	20	30	40	50	60	70	80	90	100	110	120
11	22	33	44	55	66	77	88	99	110	121	132
12	24	36	48	60	72	84	96	108	120	132	144



HVP Learn It Pathway

	End of Autumn Term	End of Spring Term	End of Summer Term
Reception	<u>Step 1</u> 1+1, 2+2	<u>Step 2</u> 3 + 3, 4 + 4, 5 + 5	<u>Step 3</u> 1 + 2, 2 + 3 Count in multiples of 10
Year 1	<u>Step 4</u> 2 + 8, 3 + 7, 4 + 6 Count in multiples of 5	<u>Step 5</u> 4 + 2, 5 + 2, 6 + 2, 7 + 2, 9 + 2, 4 + 3, 5 + 3, 6 + 3	<u>Step 6</u> 6 + 6, 7 + 7, 8 + 8, 9 + 9 Count in multiples of 2
Year 2	<u>Step 7</u> 3 + 8, 3 + 9, 4 + 7, 4 + 8, 4 + 9 X 10 table	<u>Step 8</u> 4 + 5, 5 + 6, 6 + 7, 7 + 8, 8 + 9 X 5 table	<u>Step 9</u> 5 + 9, 6 + 9, 7 + 9, 5 + 7, 5 + 8, 6 + 8 X 2 table
Year 3	<u>Step 10</u> X 3 table	<u>Step 11</u> X 4 table	<u>Step 12</u> X 8 table
Year 4	<u>Step 13</u> 6 Fact Challenge (x6, x 7, x 9)	<u>Step 14</u> X 11 table	<u>Step 15</u> X 12 table
Year 5 / 6	COMPLETE	COMPLETE	COMPLETE



HVP Calculations Glossary

Fact families

Jigsaw Numbers

Coin Cards

Smile Multiplication

Multiples. Where's Mully?

Cube Numbers

Factors

Prime Numbers

Square Numbers

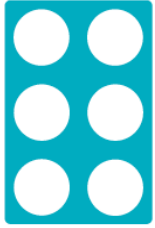
Doubling

Halving





$6 + 3 = 9$



+



=



I count out 6.
I **know** there's 6.

I count on in 3 lots of 1

6... 7, 8, 9



$7 - 4 = 3$



-



=



I count out 7.
I **know** there's 7.

I count how many I
need to take away.

I count how many
are left.



2 lots of 4



I set out one
group of four

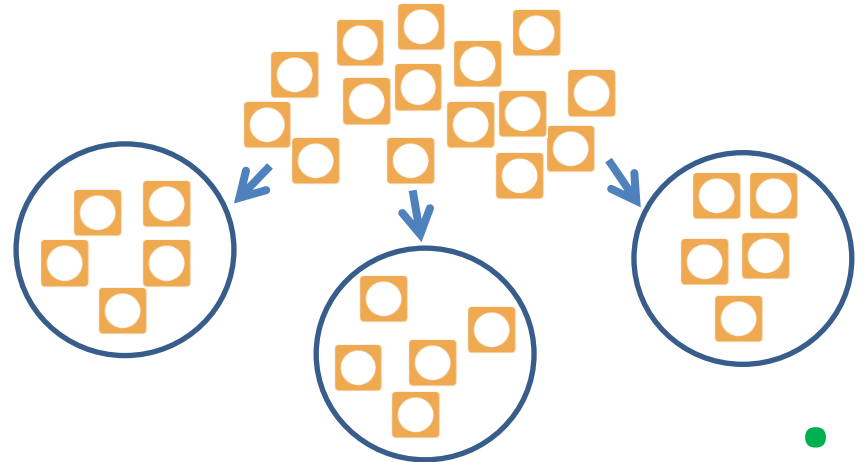


I set out another group
of four

I then count all the objects



Share 15 between 3 (with objects)

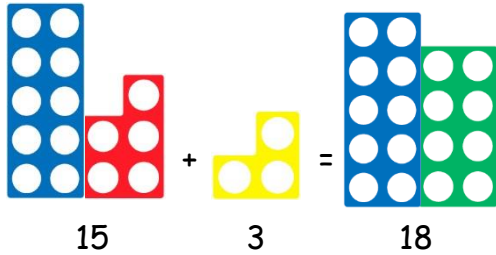


I count out 15. I share between 3 (giving one at a time)
and check to make sure everyone gets the same.





I can add a 1 digit number to a number to 20.

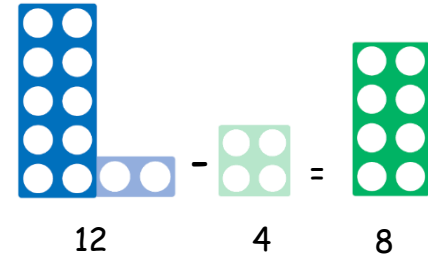


Fact Families

9	
6	3

$3 + 6 = 9$
 $6 + 3 = 9$
 $9 - 3 = 6$
 $9 - 6 = 3$

I can take a 1 digit number from a number to 20.

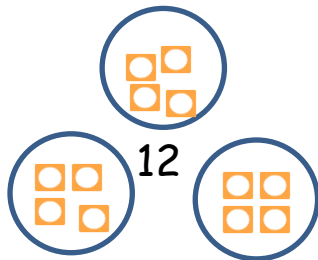


Can you count on in your head?

Can you count back in your head?



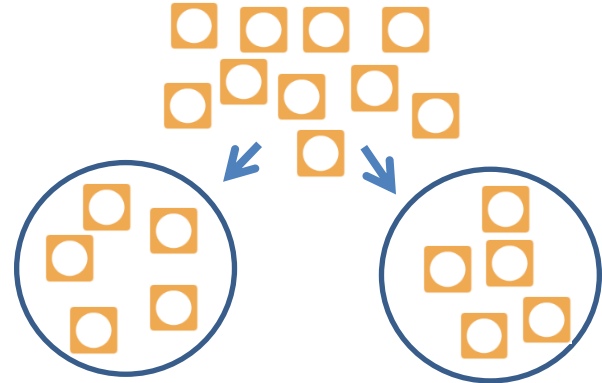
3 lots of 4



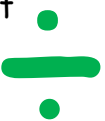
I can count out one lot of four, two more lots of four, check I have 3 groups, check there are four in each group. I can count to find the total. 3 lots of 4 is 12.



I can make groups of 2, 5 or 10



I can count out 1 group of 5, I keep counting out more groups of 5 until there are not enough objects for another whole group





I can add 2 digit numbers to 2 digit numbers without exchanging.

$$\begin{array}{r} 36 \\ + 43 \\ \hline 79 \end{array}$$

$$23 + 46$$



$$60 + 9 = 69$$

Fact Families

110	
30	80

$$80 + 30 = 110$$

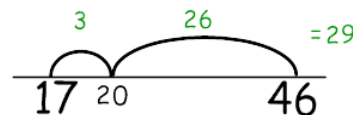
$$30 + 80 = 110$$

$$110 - 30 = 80$$

$$110 - 80 = 30$$

I can subtract from a 2 digit number using two 'jumps' (the first jump must be to the next 'ten')

$$46 - 17 = 29$$



I can take away 2 digit numbers from 2 digit numbers without exchanging.

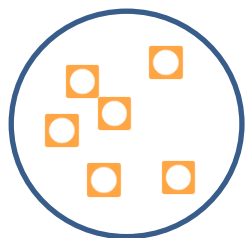
$$\begin{array}{r} 79 \\ - 36 \\ \hline 43 \end{array}$$



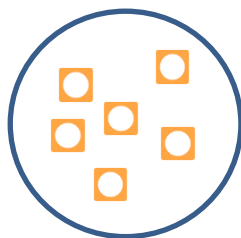
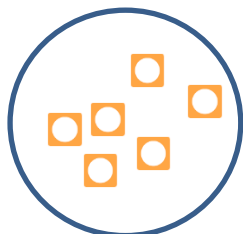
Year 2

I can mentally add 2 digit numbers without exchanging.

I can solve 1 digit by 1 digit multiplications (2, 3, 4 and 5 times tables)



$$3 \times 6$$



$$3 \text{ lots of } 6 / 3 \times 6 / 6 + 6 + 6 = 18$$



I can instantly recall the 2, 5 and 10 times table

I can use table facts to find a division fact with remainders.

$$17 \div 5$$

5, 10, 15... That's three lots of 5.
How many are left?
16, 17... That's 2.
Three lots of 5 and 2 left over.

$$17 \div 5 = 3 \text{ r } 2$$





$$\begin{array}{r} 537 \\ + 383 \\ \hline 920 \\ 11 \end{array}$$

I can add 3 digit numbers to 3 digit numbers with exchanging.

I can solve 1 digit by 2 digit multiplications (2, 3, 4 and 5 times tables)

$$\begin{array}{r} 35 \\ \times 5 \\ \hline 175 \\ 2 \end{array}$$



$$\begin{array}{r} 6 \quad 15 \quad 1 \\ \cancel{765} \\ - 386 \\ \hline 379 \end{array}$$

I can take away 3 digit numbers from 3 digit numbers with or without exchanging.

I can solve a 2d ÷ 1d (using x2, 3, 4, 5) with no remainders inside the question

$$\begin{array}{r} 23 \\ 3 \overline{)69} \\ \hline 69 \\ 69 \\ \hline 0 \end{array}$$

69 ÷ 3 = 23



Fact Families

100	
37	63

37 + 63 = 100
 63 + 37 = 100
 100 - 37 = 63
 100 - 63 = 37



Fact Families

210						
30	30	30	30	30	30	30

7 × 30 = 210
 30 × 7 = 210
 120 ÷ 7 = 30
 120 ÷ 30 = 7



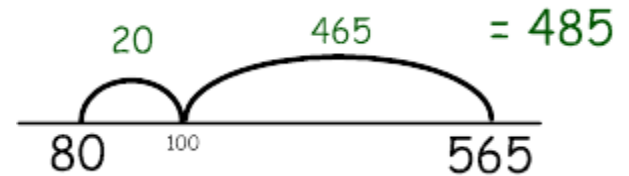
Fact Families	
100	
37	63

$37 + 63 = 100$
 $63 + 37 = 100$
 $100 - 37 = 63$
 $100 - 63 = 37$

$$623 + 146$$

$$700 + 60 + 9 = 769$$

$$565 - 80 = 485$$



I can mentally add 3 digit numbers without exchanging.

I can subtract from 3 digit numbers in 'jumps' (the first jump must be to the next 'hundred')



I can solve any 1 digit by 2 digit multiplications

I can use table facts to find a division fact with or without remainders

x	20	3
4	80	12

$$4 \times 23 = 80 + 12$$

$$80 + 12 = 92$$



Fact Families	
210	
30	30
30	30
30	30
30	30
30	30
30	30

$7 \times 30 = 210$
 $30 \times 7 = 210$
 $120 \div 7 = 30$
 $120 \div 30 = 7$





$$\begin{array}{r}
 7452 \\
 + 1464 \\
 \hline
 8916 \\
 \text{1}
 \end{array}$$

I can add 4 digit numbers to 4 digit numbers with exchanging.

I can solve any 3 digit by 1 digit multiplication

$$\begin{array}{r}
 374 \\
 \times 6 \\
 \hline
 2244 \\
 \text{2 4 2}
 \end{array}$$



Fact Families

100	
37	63

$37 + 63 = 100$
 $63 + 37 = 100$
 $100 - 37 = 63$
 $100 - 63 = 37$



$$\begin{array}{r}
 \overset{6}{\cancel{7}}, \overset{13}{\cancel{4}}, \overset{14}{\cancel{5}} 3 \\
 - 3, 4, 6, 4 \\
 \hline
 3, 9, 8, 9
 \end{array}$$

I can subtract from 4 digit numbers without exchanging.

I can solve any 4d ÷ 1d with remainders within the question but not the answer

$$\begin{array}{r}
 0321 \\
 7 \overline{) 2247} \\
 \hline
 2, 2, 4, 7 \\
 2, 247 \div 7 = 321
 \end{array}$$

Fact Families

210							
30	30	30	30	30	30	30	30

$7 \times 30 = 210$
 $30 \times 7 = 210$
 $120 \div 7 = 30$
 $120 \div 30 = 7$





$$688 + 345$$



$$900 + 120 + 13 = 1,033$$

Also as money... eg.
 $£6.88 + £3.45 =$
 $£10.33$

I can mentally add 3 digit numbers with exchanging.

I can solve 1 digit by 2 digit multiplications
 (2, 3, 4 and 5 times tables)

$$\begin{array}{r|l} \times & 80 & 6 \\ \hline 7 & 560 & 42 \\ \hline 7 \times 86 = & 560 & + 42 \\ & 560 & + 42 = 602 \end{array}$$



Fact Families

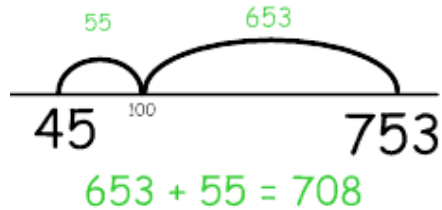
100	
37	63

$37 + 63 = 100$
 $63 + 37 = 100$
 $100 - 37 = 63$
 $100 - 63 = 37$



Year
4

$$753 - 45 =$$



$$753 - 45 = 708$$

I can subtract **any** 2 digit number from 3 digit numbers in 2 'jumps' (the first jump must be to the next 'hundred')

I can combine 2 or more Tables Facts **from any time table** to solve division with remainders

$$68 \div 5$$



Fact Families

210							
30	30	30	30	30	30	30	30

$7 \times 30 = 210$
 $30 \times 7 = 210$
 $120 \div 7 = 30$
 $120 \div 30 = 7$





$$\begin{array}{r}
 12,583 \\
 + 45,621 \\
 \hline
 58,204
 \end{array}$$

1 1

I can add 5 digit numbers to 5 digit numbers with exchanging.

I can solve 1 digit by 4 digit multiplications

$$\begin{array}{r}
 8,324 \\
 \times 6 \\
 \hline
 49,944
 \end{array}$$

1 1 2



$$\begin{array}{r}
 34,284 \\
 - 13,674 \\
 \hline
 20,610
 \end{array}$$

I can subtract from 5 digit numbers with and without exchanging.

I can solve any 4d ÷ 1d with remainders

$$\begin{array}{r}
 1,201 \text{ r}3 \\
 6 \overline{) 7,209} \\
 \underline{6} \\
 12 \\
 \underline{12} \\
 09 \\
 \underline{06} \\
 3
 \end{array}$$

$7,209 \div 6 = 1,201 \text{ r}3$



Fact Families

0.4	1.1	0.7
-----	-----	-----

$0.4 + 0.7 = 1.1$
 $0.7 + 0.4 = 1.1$
 $1.1 - 0.4 = 0.7$
 $1.1 - 0.7 = 0.4$



Fact Families

1.2			
0.3	0.3	0.3	0.3

$4 \times 0.3 = 1.2$
 $0.3 \times 4 = 1.2$
 $1.2 \div 4 = 0.3$
 $1.2 \div 0.3 = 4$



Fact Families	
0.4	0.7
1.1	

$0.4 + 0.7 = 1.1$
 $0.7 + 0.4 = 1.1$
 $1.1 - 0.4 = 0.7$
 $1.1 - 0.7 = 0.4$

$$\begin{array}{r}
 3.85 + 8.67 \\
 \hline
 12.52
 \end{array}$$

$$\begin{array}{r}
 0.3 \quad 2.5 \quad = 2.8 \\
 \hline
 1.7 \quad 2 \quad 4.5
 \end{array}$$



I can solve any addition with larger numbers and with numbers with 2 decimal places

I can subtract larger numbers and numbers with 1 decimal place using two sensible 'jumps'

I can use jottings to solve 2 digit by 2 digit multiplications

I can use table facts to find a division fact with or without remainders

x	60	9
30	1,800	270
8	480	72

x	14
1	14
2	28
5	70
10	140
20	280

$$156 \div 14$$

Where does 152 come in?
After '10x14'

Enough left for any more 14s?

Yes, 1 more lot of 14 with 2 left over.

10 lots add 1 lot with 2 remaining.

$$156 \div 14 = 11r2$$

Fact Families			
0.3	0.3	0.3	0.3
1.2			

$4 \times 0.3 = 1.2$
 $0.3 \times 4 = 1.2$
 $1.2 \div 4 = 0.3$
 $1.2 \div 0.3 = 4$

72-8=9
Know the inverse of all multiplication facts





$$\begin{array}{r}
 7.341 \\
 + 13.02 \\
 \hline
 20.361
 \end{array}$$

Fact Families

5.4	
2.5	2.9

$2.5 + 2.9 = 5.4$
 $2.9 + 2.5 = 5.4$
 $5.4 - 2.5 = 2.9$
 $5.4 - 2.9 = 2.5$



$$\begin{array}{r}
 12.764 \\
 - 3.22 \\
 \hline
 9.544
 \end{array}$$

I can add numbers with mixed decimal places

I can solve 2 digit by 4 digit multiplications



I can subtract from numbers with 3 decimal places with and without exchanging.

I can solve any 4d ÷ 1d with remainders

$$\begin{array}{r}
 6,124 \\
 \times 16 \\
 \hline
 36,744 \\
 + 61,240 \\
 \hline
 97,984
 \end{array}$$

$$\begin{array}{r}
 \times 14 \\
 1 \ 14 \\
 2 \ 28 \\
 5 \ 70 \\
 10 \ 140 \\
 20 \ 280
 \end{array}$$

$$\begin{array}{r}
 725 \div 14 \\
 052 \text{ r}1 \\
 14 \overline{)729} \\
 - 70 \\
 \hline
 029 \\
 - 28 \\
 \hline
 01
 \end{array}$$

$$\begin{array}{r}
 1,201.5 \\
 6 \overline{)7,209.0} \\
 \hline
 7,209 \div 6 = 1,201.5
 \end{array}$$

Fact Families

1.2			
0.3	0.3	0.3	0.3

$4 \times 0.3 = 1.2$
 $0.3 \times 4 = 1.2$
 $1.2 \div 4 = 0.3$
 $1.2 \div 0.3 = 4$



